Università della Svizzera italiana



# SHREC'16 Track: Partial Matching of Deformable Shapes

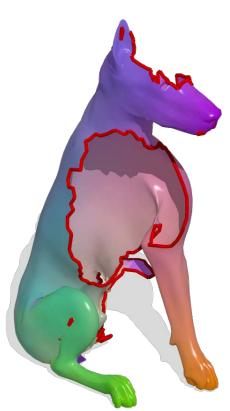
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# Deformable partial matching

<u>Task</u>: Establish a point-to-point correspondence between a **full 3D shape** and a **deformed**, **partial** version thereof.





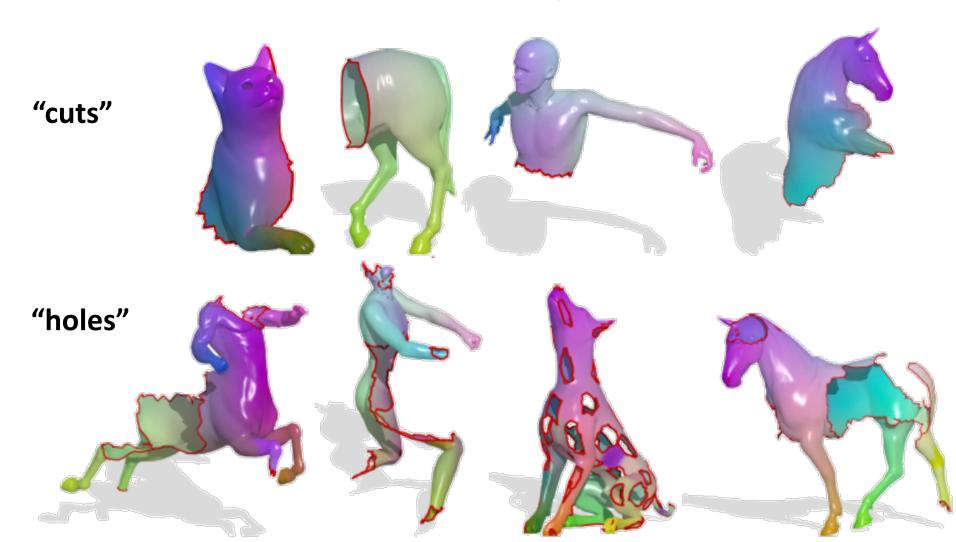
# Deformable partial matching

<u>Motivation</u>: Existing matching techniques do not deal well with **real** data, where occlusions and clutter give rise to missing parts.



### The dataset

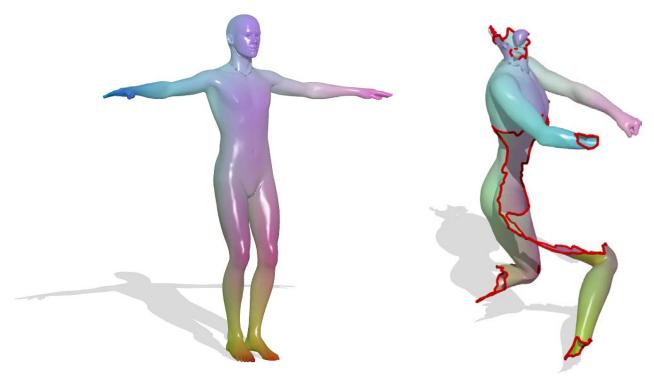
We provide two sets of shapes consisting of 200 shapes each.



## The matching problem

Shapes are divided into 8 classes.

Each shape has to be matched to the **null shape** of the same class.



This results in 400 matching problems in total.

We additionally provide ~200 extra shapes with dense ground-truth.

## **Participants**

**Five methods** participated to the contest.

#### Minimum distortion correspondence - sparse (GT, IM, EN):

- "A game-theoretic approach to deformable shape matching", Rodolà, Bronstein,
   Albarelli, Bergamasco, Torsello. Proc. CVPR 2012.
- "Scale normalization for isometric shape matching", Sahillioğlu and Yemez. CGF 2012.
- "Elastic net constraints for shape matching", Rodolà, Torsello, Harada, Kuniyoshi, Cremers. Proc. ICCV 2013.

#### Functional correspondence - dense (PFM):

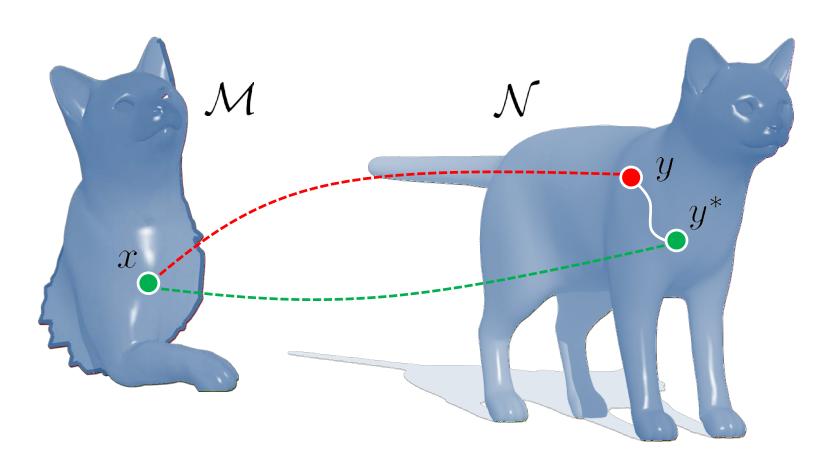
 "Partial functional correspondence", Rodolà, Cosmo, Bronstein, Torsello, Cremers. CGF 2016.

#### Learning-based - dense (RF):

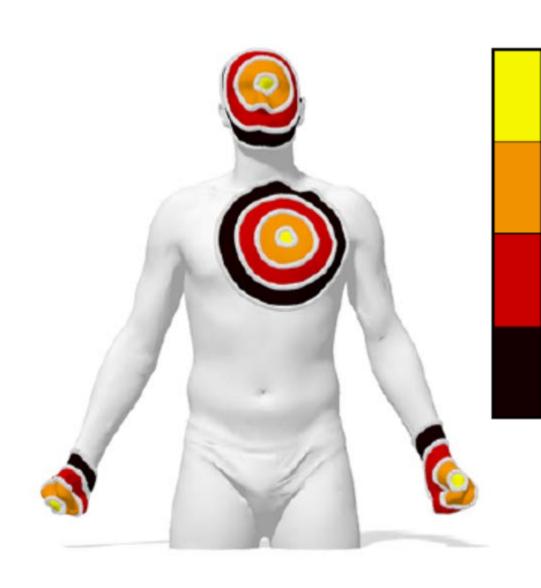
"Dense non-rigid shape correspondence using random forests", Rodolà, Rota Bulò,
 Windheuser, Vestner, Cremers. Proc. CVPR 2014.

#### Error measure

$$\varepsilon(x) = \frac{d_{\mathcal{N}}(y, y^*)}{\operatorname{area}(\mathcal{N})^{1/2}}$$



## Error measure



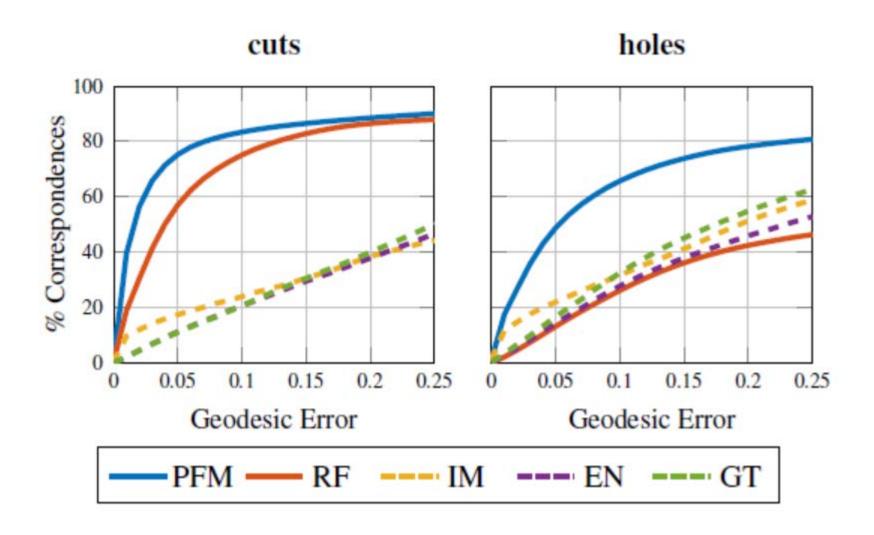
 $\varepsilon < 0.01$ 

 $\varepsilon < 0.03$ 

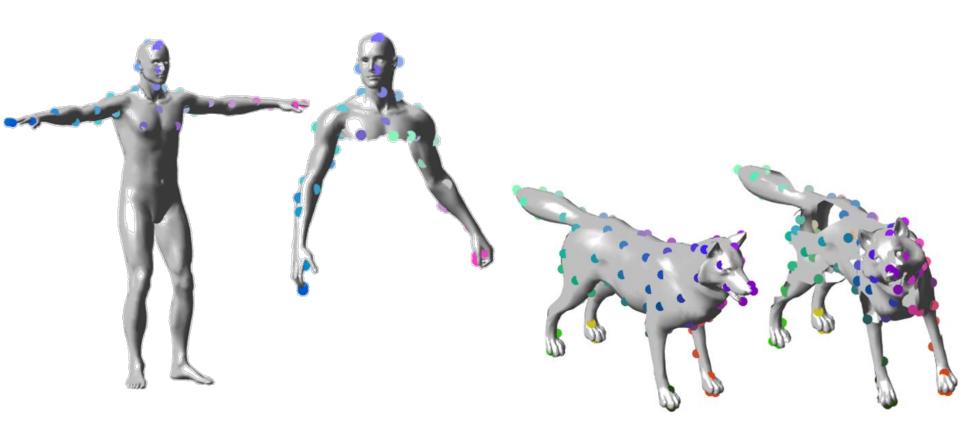
 $\varepsilon < 0.05$ 

 $\varepsilon < 0.07$ 

### Results

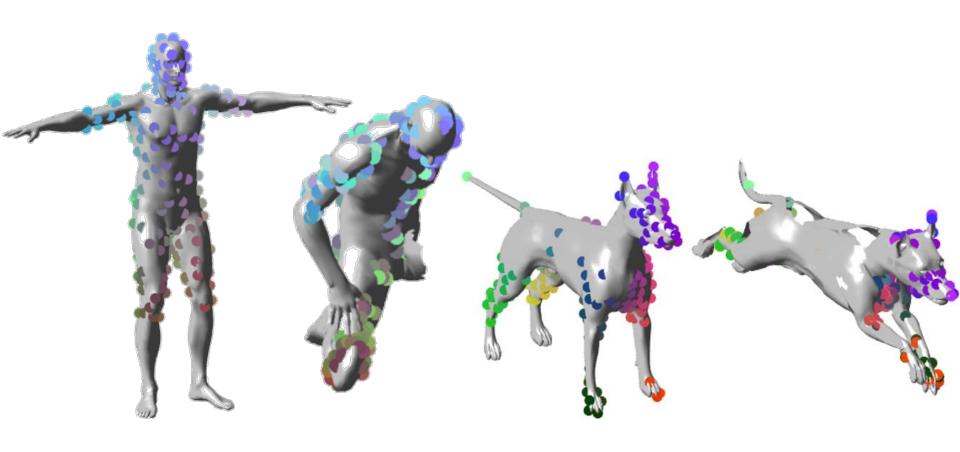


## Results – IM



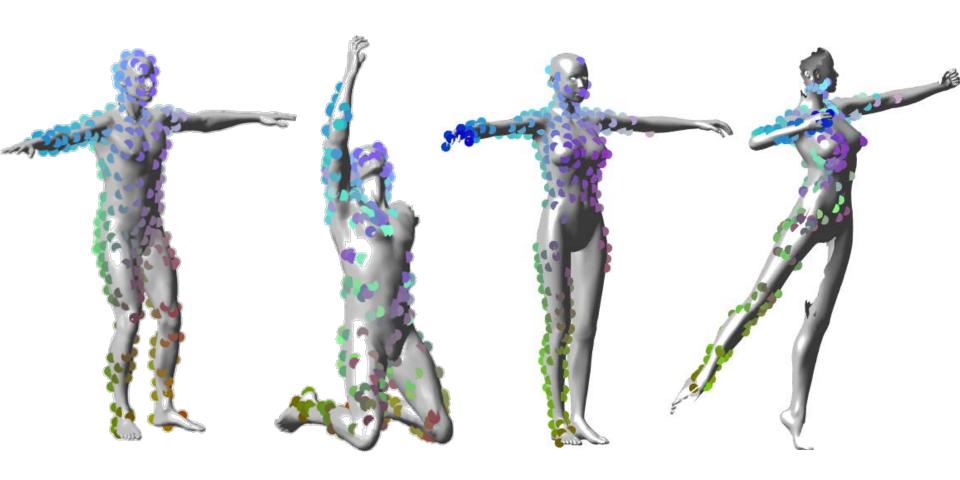
Suffers from the metric distortion due to partiality.

## Results - EN



Tends to match the rigid parts.

## Results - GT



Similar to EN, more sparse.

### Results - RF



Learns parameters of spectral descriptors, which suffer greatly from boundary effects.

## Results - PFM



Uses *extrinsic* descriptors to avoid boundary effects. The problem is regularized by using a *partiality prior* on the functional map.

#### Conclusions

- Partial shape matching has received limited attention so far, but it is quickly gaining practical relevance
- Partial-to-partial? Topological shortcuts and clutter?

